



FIG. 1. A flow chart of the iterative procedure to estimate the variation in the elastic constant of a cubic solid with pressure when the elastic wave velocities are obtained from the measurement of the resonant frequencies of a standing wave as a function of pressure at a temperature.

one at the level of pressure and the other on the  $I$ th null frequency of the  $J$ th mode. We set  $\lambda(P) = \lambda$  (Preceding Pressure) and  $K(I, J, P) = 1$  and estimate  $N(I, J, P)$  and  $\tau(I, J, P)$  and  $K(I, J, P)$ . If the value of  $K(I, J, P)$  thus obtained agrees with the previously assigned value we compute  $N(I, J, P)$  for the  $(I+1)$ th frequency. If this value of  $K(I, J, P)$  does not agree with the previously assigned value these values of  $N(I, J, P)$  and  $\tau(I, J, P)$  are corrected by setting  $K(I, J, P)$  equal to the value obtained last, and iterating all over again. This is repeated till two consecutive estimates of  $K(I, J, P)$  are the same. A similar computation is performed for all the velocity modes. By interpolation, from these  $\tau(I, J, P)$ 's one obtains values corresponding to  $F(R, J, P)$ , each of which is called  $\tau(J, P)$ . These  $\tau(J, P)$ 's in turn are used to obtain  $V(J, P)$  which together with  $\rho(P)$  yield an estimate of  $B^S(P)$ ,  $\Delta(P)$ ,  $B^T(P)$ , and finally  $\lambda(P)$ . If the value of  $\lambda(P)$  thus obtained agrees with the previously assigned value,

TABLE I. The pressure derivative of the adiabatic and isothermal bulk moduli of NaCl and KCl as obtained by Bartels and Schuele ( $B$  and  $S$ ), as obtained in the present work ( $D$ ) from the data of Bartels and Schuele.

	Bulk modulus	
	$B$ and $S$	$D$
NaCl		
295°K		
Adiabatic	5.27	5.33
Isothermal	5.35	5.38
195°K		
Adiabatic	5.13	5.18
Isothermal	5.20	5.23
KCl		
295°K		
Adiabatic	5.34	5.36
Isothermal	5.41	5.44
195°K		
Adiabatic	5.34	5.36
Isothermal	5.41	5.43